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$$1 - \sum_{k=1}^{p} a_k z^{-k} = \prod_{k=1}^{p} \left(1 - x_k z^{-1} \right)$$

- The polynomial roots x_k are either real or occur in complex conjugate pairs. | x_k | must be <1 for stability
- Factorizing polynomials is computationally expensive
- The frequency response is sensitive to pole position errors near |z|=1.











- Most speech recognisers describe the spectrum of speech sounds using cepstral coefficients
 - good at discriminating between different phonemes
 - fairly independent of each other
 - have approximately Gaussian distributions for a particular phoneme.
- Cepstrum is defined as inverse fourier transform of log spectrum
 - (periodic spectrum \Rightarrow discrete cepstrum)

$$c_n = \frac{1}{2\pi} \int_{\omega=-\pi}^{+\pi} \log(V(e^{j\omega})) e^{j\omega n} d\omega$$

- Can be computed either from roots of the prediction filter polynomial
- Can be computed alternatively from the coefficients of the prediction filter polynomial.

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