

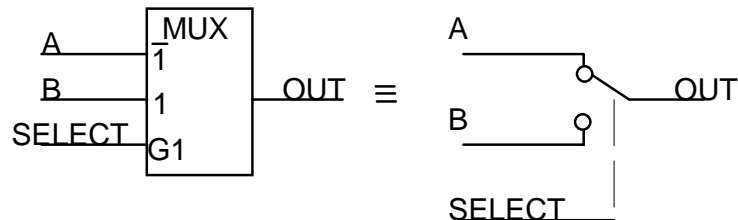
# Digital Electronics

## Answer Sheet 6

1.  $P = \overline{A \cdot B} + \overline{C} = \overline{A \cdot B \cdot C}$  (from De Morgan's Law).

2. Diagonal bar or a bubble.

3.



A	B	Select	OUT
0	0	0	0
0	0	1	0
0	1	0	0
0	1	1	1
1	0	0	1
1	0	1	0
1	1	0	1
1	1	1	1

AND Gate: set A=0; OUT=B.SELECT

OR Gate: set B=1; OUT=A+SELECT

4. Connect A and B to the control inputs. I0, I1, I2 and I3 will then be the values on the columns - either a constant 0 or 1 or else some function of C.

(i)

C \ AB	00	01	11	10
0	0	0	1	0
1	0	1	1	1

I0= 0    I1= C    I3= 1    I2= C

(ii)

C \ AB	00	01	11	10
0	0	1	1	1
1	0	1	0	0

I0= 0    I1= 1    I3=  $\overline{C}$     I2=  $\overline{C}$

5.  $p = \overline{C} \cdot \overline{D} + C \cdot \overline{D} + C \cdot D \cdot E = \overline{D} + C \cdot E$   
 $F = A \cdot \overline{B} + A \cdot B \cdot p = A \cdot \overline{B} + A \cdot B(\overline{D} + C \cdot E)$

6. **Odd Parity generator:** Given that odd parity bit is always the inverse of even parity bit, the solution is simply inverting the output of the generator circuit in the notes.

**Odd Parity Checker Circuit:** Replace 2-input XOR gates with 2-input XNOR gates.

7. X is HIGH when  $A \neq B$ ,  $B = C$  AND  $C = 1$ . Therefore the only input condition for  $x = 1$  is  $A = 0$ ,  $B = 1$ ,  $C = 1$ .